

Harby C of E Primary School Written calculation policy



Introduction

The purpose of this booklet is to outline the steps of progress for written calculation methods in the four operations $(+ - x \div)$. It has been written to ensure consistency and progression throughout the school and reflects a whole school agreement on the new 2014 Primary Curriculum.

Although the focus of the booklet is on written methods it is important to remember that the ability to calculate mentally is of equal importance. Mental calculations will help written recording.

It is important that children do not stop jottings and mental methods once written methods are introduced. Children should always be encouraged to look at a calculation and decide the best method to choose to help them find the answer – pictures, mental calculations with or without jotting, written methods or a calculator (if applicable).

They could ask themselves the following questions:

- Can I do this in my head?
- Can I do this in my head using a picture or a jotting?
- Do I need to use my written method?
- Do I need a calculator?

Children will have frequent opportunities to use and apply these methods to solve a variety of real life mathematical problems (e.g. money, measures, data handling etc.)

A good understanding of place value and the number system is essential for children to carry out calculations efficiently and accurately. Therefore, the methods for calculation are supported by lots of models, images and practical apparatus to reinforce understanding. Children are encouraged to talk about what they are doing before they record any calculation.

It is very important that children have a good understanding of the mathematics involved and not just a mechanical method for finding an answer.

Ultimately the aim of this policy is to ensure all children have, at their personal level, a reliable method for solving questions on each of the four operations which they understand and can explain.

+	ADDITION	
Step 1	2 cars and 2 cars make How many cars do I have? 1, 2, 3, 4. Concrete links with objects.	Objects Children use objects to help them count. Use language of addition.
Step 2	4 + 2 = 6	Pictures or objects Children use pictures or objects to help them count, and add what they need to.
Step 3	8 + 3 = 11 $8 + 3 = 11$ $8 + 3 = 11$	Tallies or dots Children use tallies or dots to help them be more efficient and add what they need to.
Step 4	8 + 3 = 11 11 8 3	Bars Children use bars to representaddition.
Step 5	7 + 4 = 11	Addition number line (jumping in 1s) Children 'jump' in 1s on a number line from one number.
Step 6	23 + 12 = 35 $+10$ $+2$ 33 35	Addition number line (jumping in 10s and 1s) Children 'jump' in 10s and 1s from one number to help them be more efficient.
Step 7	83 + 42 = 125 $234 + 179 = 413$ $2 3 4$ $+ 1 7 9$ $1 3$ $1 0 0$ $3 0 0$ $1 2 5$ $4 1 3$	Expanded column method Children add the numbers together starting from the right hand side (smallest place value column), writing the answers to each column added separately.

Step 8	234 + 179 = 413	74.5 + 48.8 =	Column method
	234 + <u>179</u> 413	$ \begin{array}{r} 7 4.5 \\ + 4 8.8 \\ \hline 1 2 3.3 \\ \hline 1 \\ \hline 1 \end{array} $	numbers together starting from the right hand side (smallest place value column), writing the answers to each column on a single line, and `carrying' if needed.

SUBTRACTION (1)

Step 1	4 cars take away 2 cars.	Objects Children use objects to help them count. Use language of subtraction.
Step 2	5 - 2 = 3	Pictures or objects Children use pictures or objects to help them, and take away what they need to.
Step 3	13 - 4 = 9 13 - 4 = 13 13 4 ? ####################################	Tallies or dots Children use tallies or dots to help them be more efficient, and take away what they need to.
Step 4	5 6 7 8 9 10 11 12 13 $13 - 4 = 9 5 4 3 2 1$	Subtraction number lines (jumping in 1s)
Step 5	13 - 5 = 8 Take away: $1 - 2 - 3 - 4 - 5 - 6 - 7 - 8$ $5 - 6 - 7 - 8 - 9 - 10 - 11 - 12 - 13$ $13 - 5 = 8$ Difference is the two sets of the terms of te	Take away: Children take away a number by 'jumping' back in 1s on a number line. Difference between:
	Difference between:	Children 'jump'forwards in 1s from the smallest to the largestnumber. The language for each is very specific – <u>take away</u> or <u>difference between</u> the two numbers.

	SUBTRACTION (2)	
Step 6	24-11=13 Take away:	Subtraction number lines (jumping in 10s and 1s)
	13 14 15 16 17 18 19 20 21 22 23 24 -1 -1	Take away: Children take away a number by 'jumping' back in 10s and 1s on a number line.
	24 - 11 = 13 Difference between: +10 +10 +11 12 13 14 15 16 17 18 19 20 21 22 23 24	Difference between: Children'jump'forwards in 10s and 1s from the smallest to the largest number.
		The language for each is very specific – <u>take away</u> or <u>difference</u> between the two numbers.
Step 7	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	Column method Children take the bottom digits away from the digits above it, starting from the right hand side (smallest place value column), and borrowing' from the larger column to the left ifneeded.



MULTIPLICATION (1)

Step 1	2 bears in each row. 5 pairs of bears.	Objects Children use objects to help them count. Use language of multiplication.
Step 2	$2 \times 3 = 6$ $3 \times 2 = 6$ 3 cubes, 2 times is 6 $3 \times 2 = 6$ 3 cubes, 2 times is 6	Pictures or objects Children use pictures or objects to help them count.
Step 3	$4 \times 5 = 20$ $4 \text{ dots, repeated 5 times}$ $5 \times 4 = 20$ $5 \text{ dots, repeated 4}$ $6 \oplus 6 \oplus 6$	'Arrays' using dots Children use dots to help them become more efficient, arranging the dots into rectangles (or 'arrays') according to the numbers.
Step 4	4 x 5 = 20 <u> 20</u> <u> 4 4 4 4 4</u>	Bars Children use bars to represent multiplication.
Step 5	$4 \times 5 = 20$ +4 $+4$ $+4$ $+4$ $+40$ 4 8 12 16 $20Repeatedly add 4 (in this case, 5 times)$	Repeated addition Children use a number line to repeatedly 'jump' forward the number of times needed.

Step 6	27 x 6 = 162	34 x 56 = 1904	Grid method Children 'partition' the
	x 6 2 0 1 2 0 7 4 2 1 6 2	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	numbers into units, tens, hundreds etc. and arrange outside a grid. Each number within the grid is made by multiplying the numbers in the same row and column. The answers are then added together to give the answer.



	DIVISION (1)	
Step 1	Counting and sharing objects.	Objects Children use objects to help them count. Use language of division.
Step 2 Sharing Step 3	$6 \div 2 = 3$ What is 6 <u>shared between</u> 2? = 3 $12 \div 3 = 4$ What is 12 <u>shared between</u> 3? = 4 1 2 3 $6 \div 2 = 3$	Pictures or objects then Tallies or dots Division as 'sharing' (What is 18 <u>shared</u> <u>between</u> 3?) This involves children 'sharing' objects or numbers between 2, 3, 4 etc. Pictures or objects
Grouping	How many groups of 2 are in 6? = 3 groups 1 group 1 group 1 group 12 ÷ 3 = 4 How many groups of 3 are in 12? = 4 groups OOOOOOOOOOOOOOOOOOOOOOOOOOOOOOOOOOOO	then Tallies or dots Division as 'grouping' (How many groups of 3 are there in 18?) This involves children 'grouping'/ sorting objects or numbers into groups of 2s, 3s, 4s etc.
Step 4	$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	Bars Children use bars to represent division.



	DIVISION (2)	Dividend Divisor
Step 6	52 ÷ 4 = 13 The lots of the divisor are 10 in the first jump (because 10 lots of 4 is 40) and 3 in the second jump (because 3 lots of 4 is 12), so the answer is 13. 10 lots of 4 $3 lots of 4$ $40 52$	Division number line in larger jumps of the divisor Children `jump' much larger steps forwards towards the `dividend' in large multiples of the `divisor'.
	$135 \div 6 = 22 \text{ r } 3$ $10 \text{ lots of } 6$ $10 \text{ lots of } 6$ $2 \text{ lots of } 6$ $10 \text{ lots of } 6$ $120 \text{ lots } 73$	This is more efficient when dividing large numbers, and the children don't have to write <u>every</u> multiple on their number line up to the dividend.
		To find the answer, the <u>lotsof</u> thedivisorare added together
Step 7	$748 \div 9 = 83 r 1$ $748 \div 16 = 46 r 12$ $083 r 1$ 9 $083 r 1$ 27 $9)7 4 28$ 36 45 54 63 72 Children (if they need to) write out the multiples of the divisor that they need on the side, to help with how many times the divisor goes into each digit.	Bus stop method 1 The dividend is under the 'bus stop', with the divisor outside to the left. The chidren see how many times the divisor 'goes into' each digit of the dividend, starting from the left. The number of times is written above and the left over number is written by the next digit of the dividend.
Step 8	$\begin{array}{c} 135 \div 6 = 22 r 3 \\ 0 \ 2 \ 2 \ r 3 \\ 6 \ 1 \ 3 \ 5 \\ 748 \div 16 = 46 r 12 \\ \hline 0 \ 4 \ 6 \ r 12 \\ \hline 1 \ 6 \ 7 \ 7 \ 4 \ 8 \\ \hline \end{array}$	Bus stop method 2 As above, but the children don't write the multiples of the divisor in their margin. Thismeansthey are more efficient. Remainders are the amount of the dividend that is `left over'.

	DIVISION (3)	Dividend Divisor
Step 8a	748 ÷ 16 =	Bus stop method 2 As before, but any
Extension1		remainders are written as <u>fractions</u> instead of writing r.
	$\frac{046}{1774^{10}8} = \frac{3}{4}$	
	The remainder above is simplified to $\frac{3}{4}$.	If there are any remainders, the children write them as a fraction of the divisor. They can then 'simplify' the fraction if possible.
Step 8b	/48 ÷ 9 =	Bus stop method 2 As above, but any
Extension2	0 8 3 1 1 9)7 4 28 0 0	remainders are written as <u>decimals</u> instead of fractions or writing r
	$748 \div 16 = 0 4 6 \cdot 7 5$ $1 6 7 7 4^{10} 8^{12} 0^{8} 0$	If there are any remainders, the children carry them to a '0' digit to the right of the dividend (beyond a decimal point that they draw for remainders), repeating as necessary – e.g. to 2 decimal places.